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$$= (n_0 - n), \quad (7.1)$$

$$= k \cdot k^2 / R$$

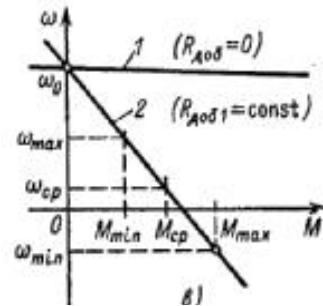
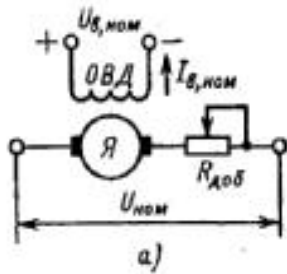
**R**

. 7.1, . 7.1,

=f( )

( 1)

2,



7.1 –

( )

( )

2 -

m =

= m - min.

( , )

m = 1 min = 2 .

**R**

**I<sub>1</sub>=**

= nst    **I<sub>2</sub> = nst** ( . 7.2, ).    . 7.2

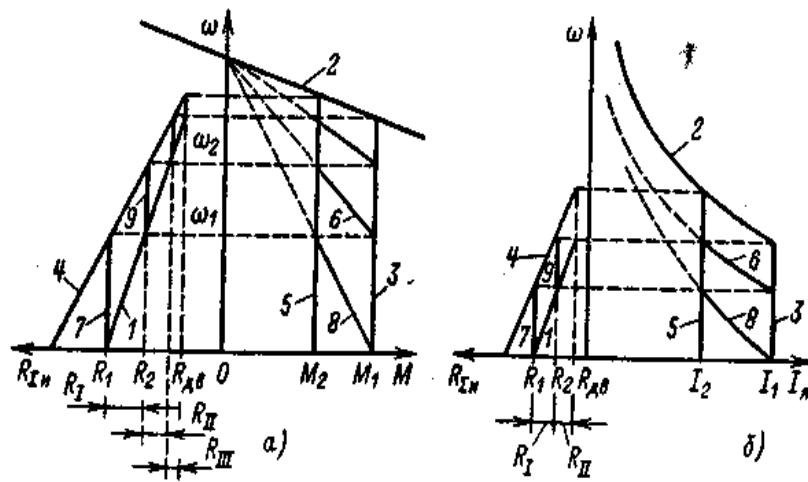
**R,**

**R = R<sub>1</sub> = const**

**2 < < M<sub>1</sub>**

**0**    1(    7 8).

**R**



7.2-3

**R<sub>H</sub> = f( )**

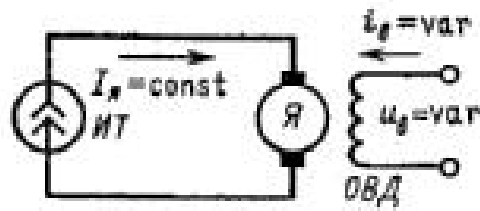
7.3.

$$U_B = v$$

( - )

$$I = \text{nst},$$

$$I = v$$



7.3 -

$$= kI \quad = k \quad , \quad ,$$

$$= \text{nst}$$

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 [7, .6.8].

**R** . . . 7.4

( . 7.4, )  
**R**

**U.**

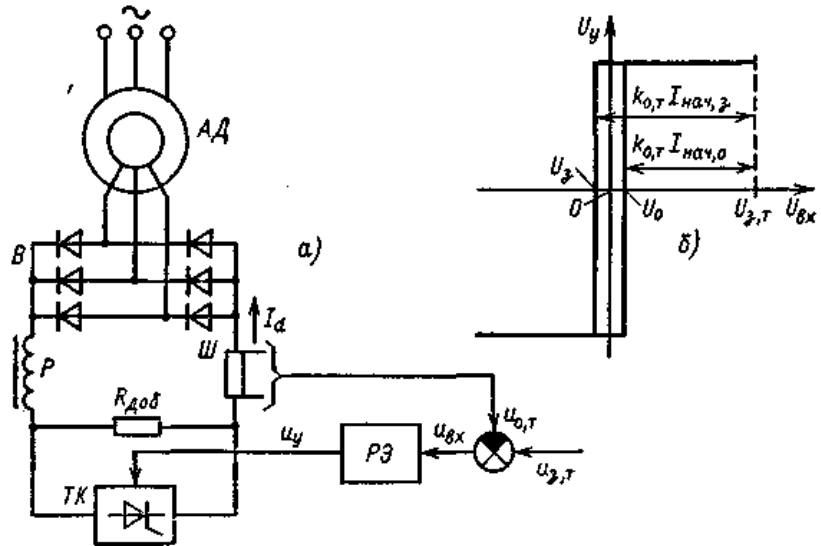
**U..**

.7.4, :

$$U = U.,$$

$$U = U_0.$$

$$I \dots, I \dots$$



7.4 –

( )

( )

$$U = \frac{nst}{f_1} = \frac{nst}{U_1} I_1$$

– [7, 5.9]

7.5

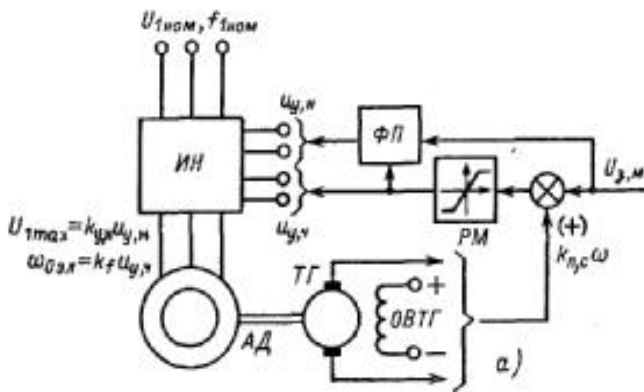
=k

=const.

S<sub>a</sub>.

= -k

I .



7.5 -

S,

19.

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)

:



— , **k** ,  
**n<sub>m</sub>** **n<sub>min</sub>(k = n<sub>m</sub> /**  
**n<sub>min</sub>)** , 1:1, 2:1, 25:1 . .

**k = (100...500):1** ;

— , .  
 ,  
 . **k**  
 -  
**k = n<sub>i+1</sub> / n<sub>i</sub>** . **k** , ;

— , .  
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 — ;  
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 ;  
 — .  
 ;  
 — , .

(6.7)

U,

I , n0 n.

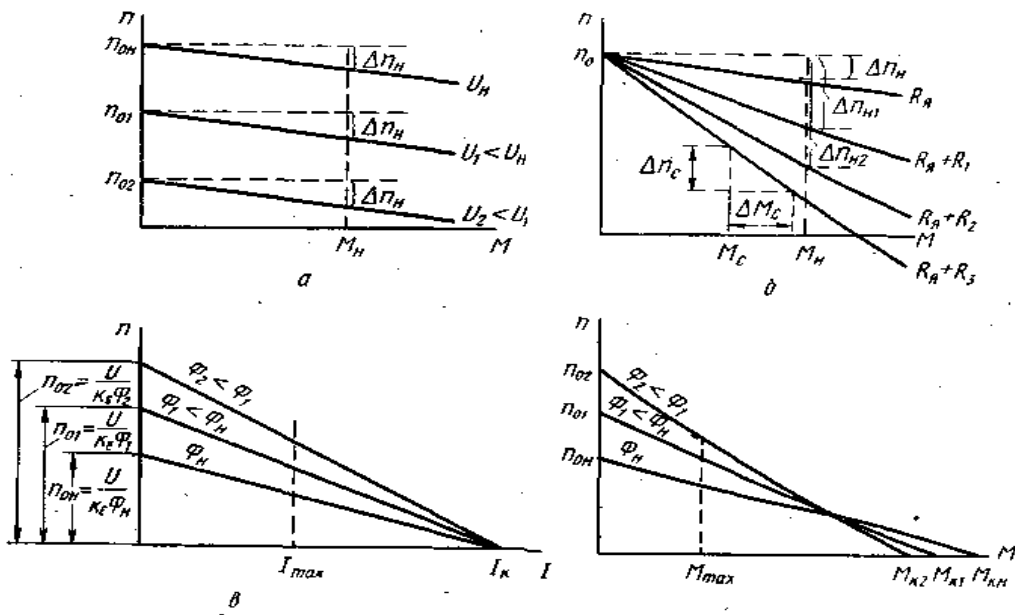
U,

n0.

U

( .8.1, ).

$n=f(R +R),$



( . 8.1, ).

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( )

$$\mathbf{n}_0 = \mathbf{U}/(\mathbf{k} )$$

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( )

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$$\mathbf{n} = \mathbf{f}( )$$

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. 8.1, .

. 8.1,

$$\mathbf{n} = \mathbf{f}$$

( ),

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$$\mathbf{n} = \mathbf{f} ( )$$

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. 8.2, ...

( . 8.2, ),

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V .

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. 8.2, .

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V , ,

V , ,

U

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. 8.2,

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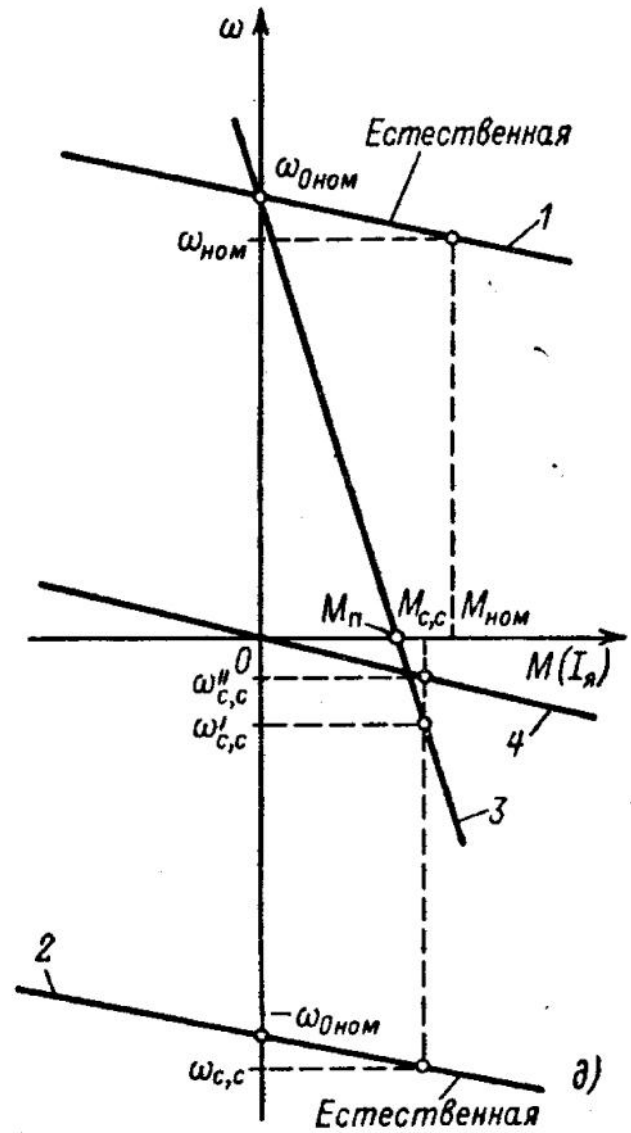
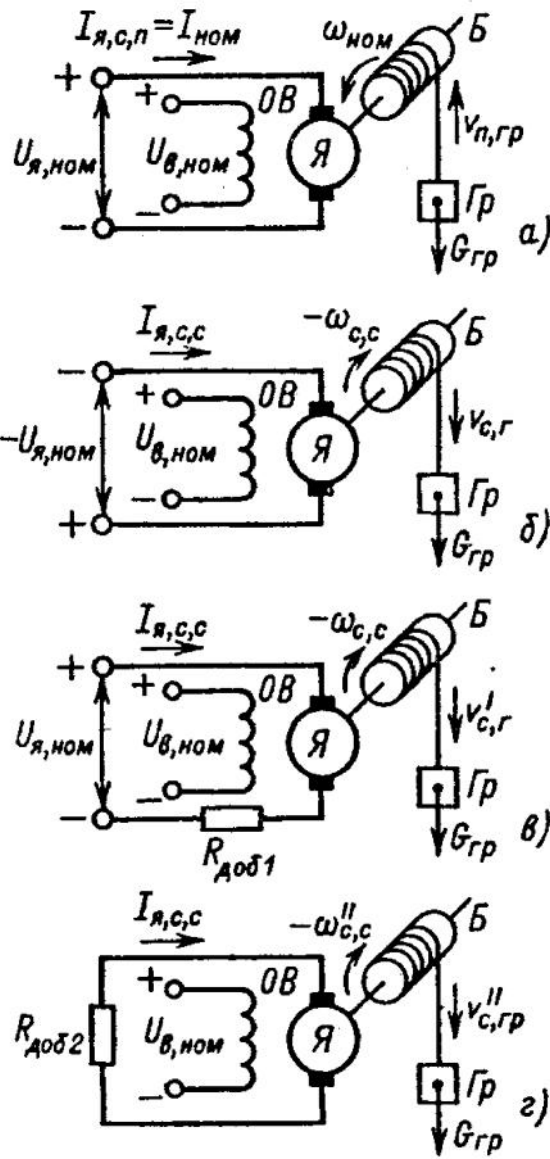
).

. 8.2, .

. 8.2, ,

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8.2 -

**R** 1,

(

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. 8.2, ,

(

3)

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8.2, .

**R** 2

“ .,

4 .8.2, .

.8.2,

. 8.1,

**I** ,

:

=**k**

**I** =

(8.1)

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. 8.1, ,

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**U**

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**I** ,

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2:1 3:1,

5:1 ( ,

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( . 8.1, , )

. 8.1, .

( - ).

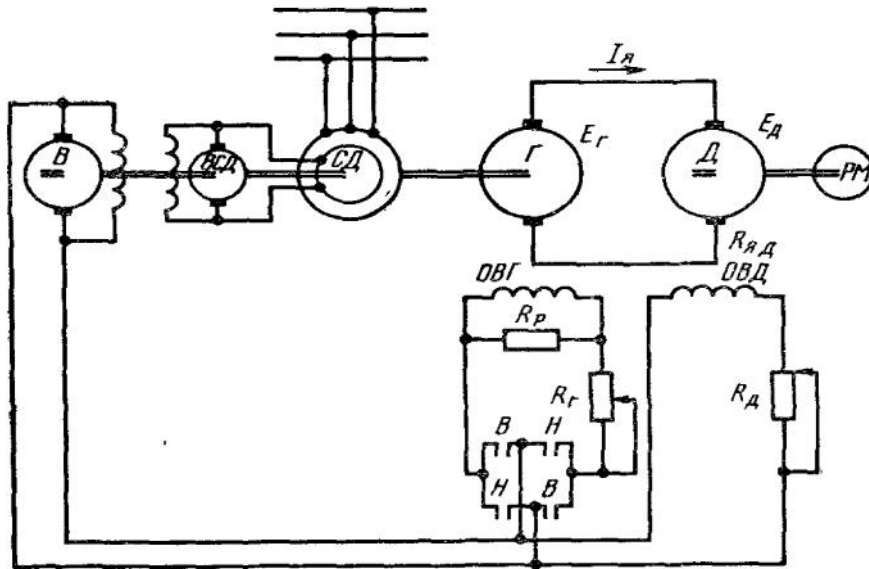
- ( - ).

. 8.3.

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( ).





8.3 -

**R .**

**R .**

**(R = 0 R = 0)**

(

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**I R**

(8...10): 1.

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(

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**R .**

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(2...3):

1.

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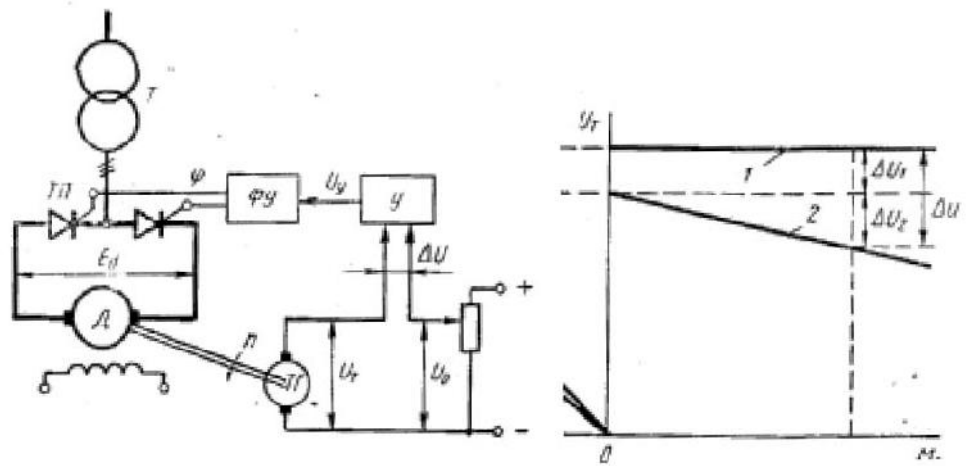
( 8.4, )

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$U_0,$

$U = k n .$



8.4 -

( )

( )

: 1 -

, 2 -

$U,$

$U = U_0 - U$

$k .$

$U = k U$

d.

$U$

$E_d,$

. 8.5, .

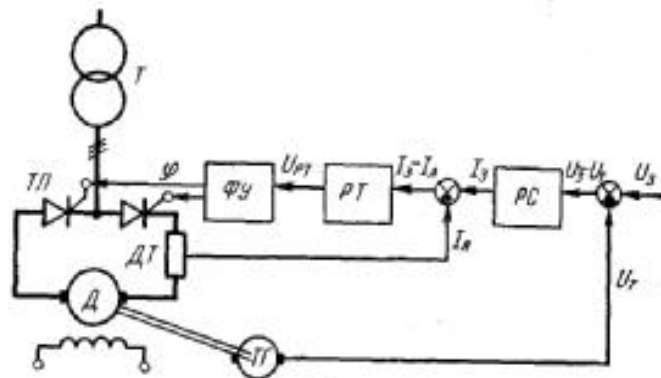
U

U,

I,

I.

U U



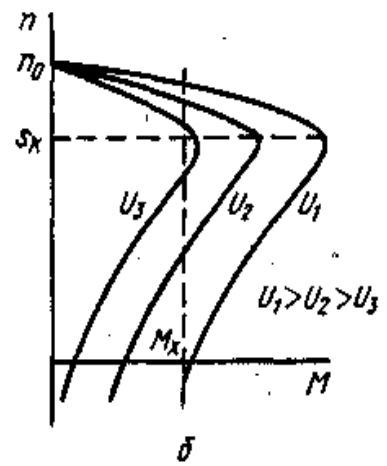
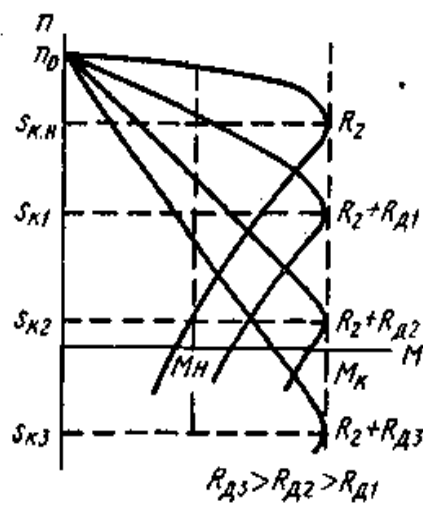
( ),

$R_1$

(6.16), (6.17) (6.13)

$S_1$ ,

( . 8.6, ).



8.6-

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**U** ,

1,

( . 8.6, ).

. 6.





( **R** ), – 1  
2,

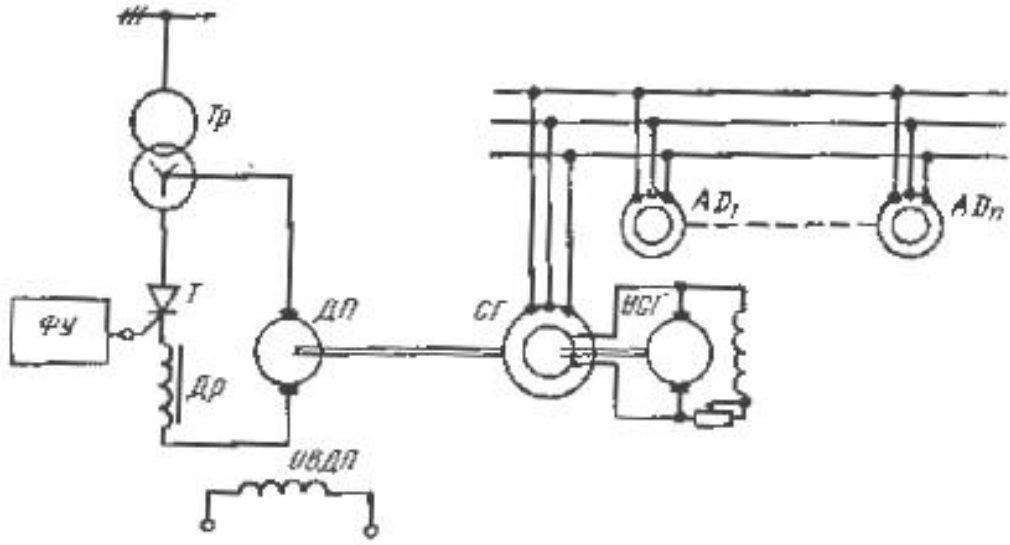
( . 8.7, ).

**U** .

$$n_0 = 60f_1 /$$

**f<sub>1</sub>** ,

8.8.

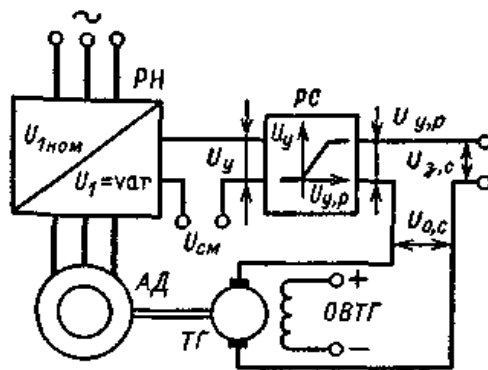


8.8 -

$D_1, \dots, D_n$

$$I_1 = 4,44 k_1 f_1 U \quad (8.2)$$

$U = \text{const.}$



U

U.

U<sub>o.</sub>,

U ,

U = 0

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0

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S.

[7].

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— *t* ,  
*t* .

, = **t** . ;

— , :

$$^2 / 2 = ( + ) ,$$

(9.1)

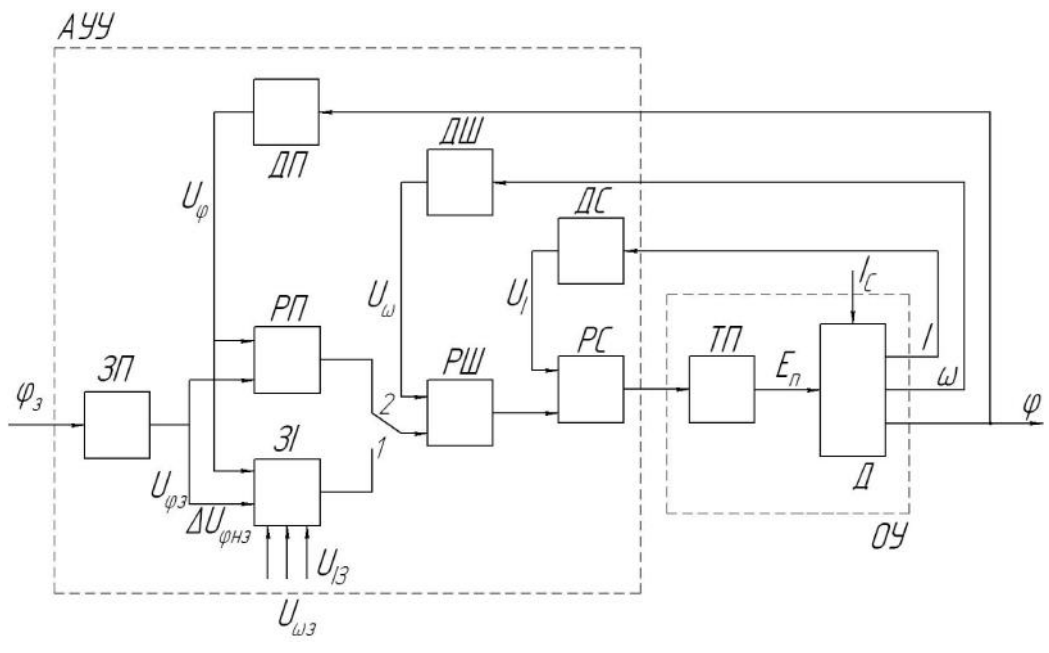
— ; —  
.

$$= + = \mathbf{t} + \frac{2}{[2( + )]} \quad (9.2)$$

(9.2).

$$\mathbf{D} = /$$

. 9.1.



9.1-

( )

U .



( , )  
 U . ( , , )

*I* *U<sub>I</sub>* ,

—  
 3 U

$U = U - U$

*U<sub>I</sub>*

$U_I = U - U$  U

*I<sub>c</sub>*.

U<sub>3</sub> ,

3.

U<sub>3</sub>

*t*

U =

U<sub>3</sub> - U .

. 9.2.

t<sub>3</sub> t<sub>0</sub> -

U

U .

U .

U<sub>3</sub>, U<sub>3</sub>

( ).

U<sub>3</sub>,

U .

1,

U > U .

2-

U U ..

t = 0

= 3

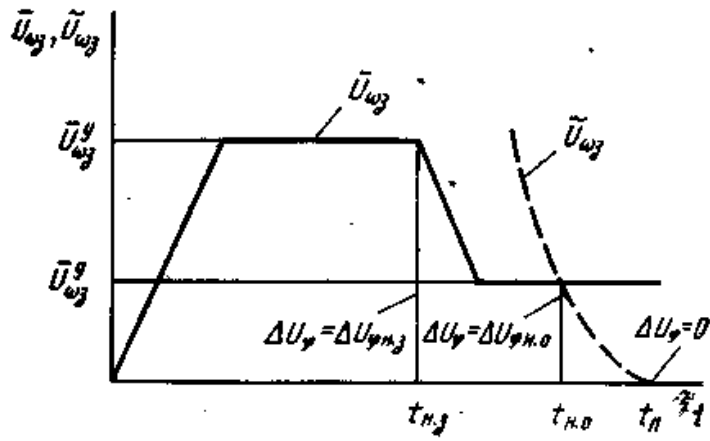
1.

U 3

t .,

t .

2.



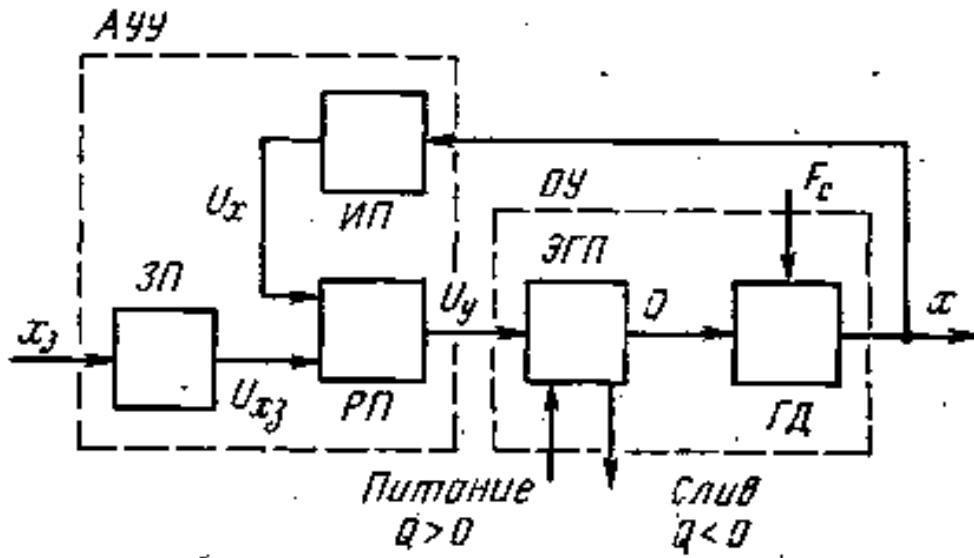
9.2 -

U 3

t .

1

9.3.



9.3 -

U .

3

$U_{x3}$  .

$U_x = U - U$

U

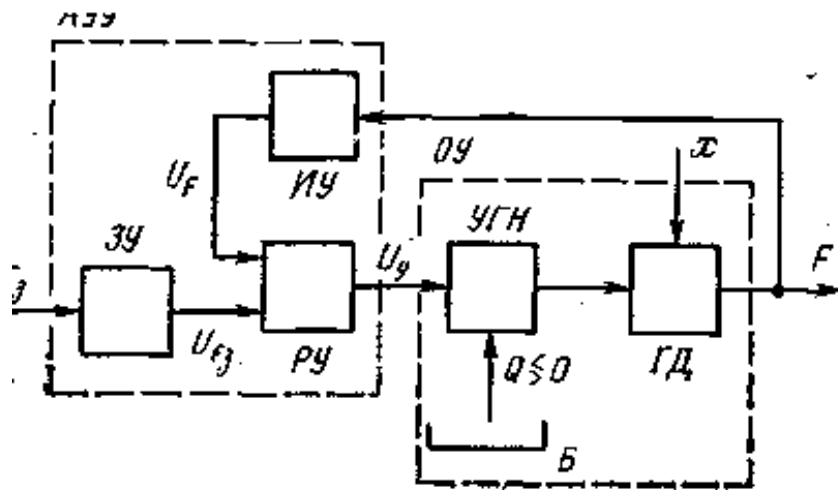
Q

$(Q > 0)$

$(Q < 0)$

**F<sub>c</sub>**

. 9.4.



9.4-

**F F<sub>3</sub>**

$U_F$   $U_F$

$U$

**Q**

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