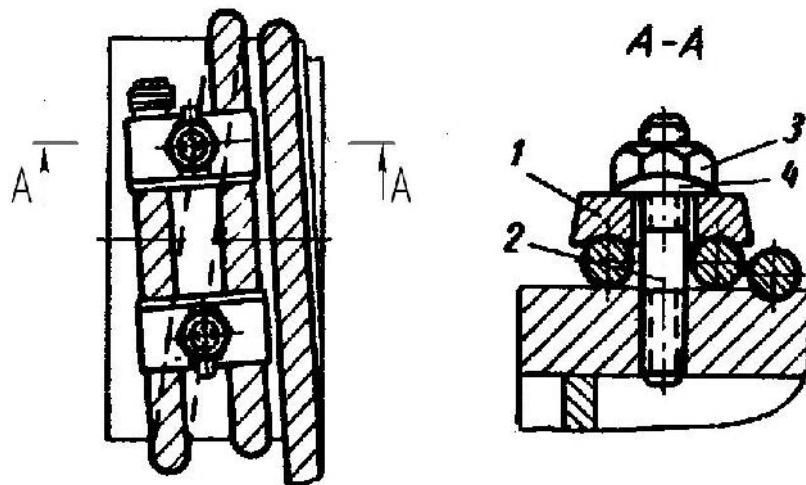


2.1.

(. 2.1).



2.1 -

[1]

F'

$$F' = F_n (f + f_1),$$

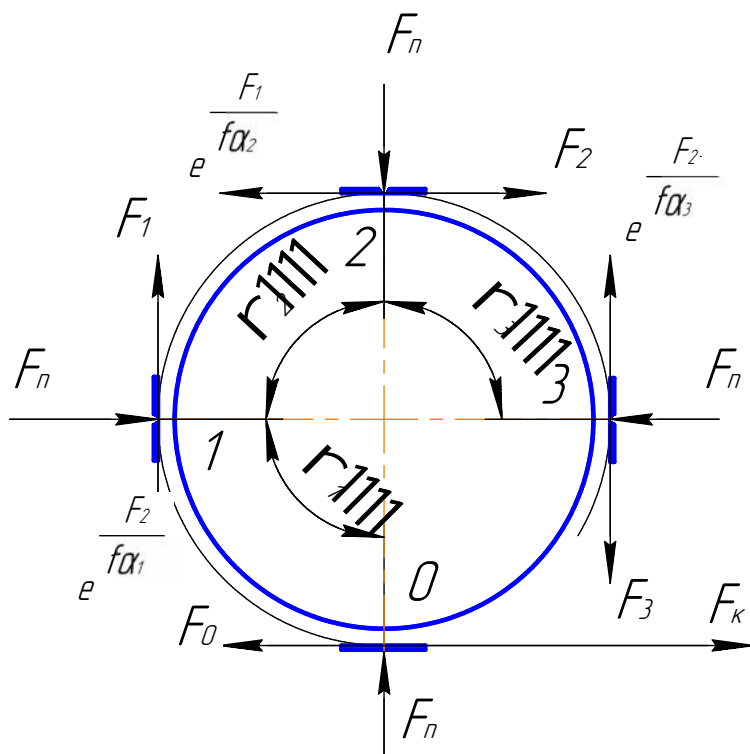
(2.1)

F_n - ; f - ;
 f_1 - ;
 - F'' ,

(.2.2)

:
 :

$$\begin{aligned}
 0 \quad & F_0 = F_k - F' \\
 1 \quad & F_1 = F / e^{f r_1} - F' \\
 2 \quad & F_2 = F / e^{f(r_1 < r_2)} - F' \\
 3 \quad & F_3 = F / e^{f(r_1 < r_2 < r_3)} - F';
 \end{aligned}
 \tag{2.1}$$



$F_0 \dots F_3$

(2.1),

F

$$\begin{aligned}
 0 \quad & F = F' = F_n (f + f_1) \\
 1 \quad & F = F' e^{f_1} \\
 2 \quad & F = F' e^{f(r_1 < r_2)} \\
 3 \quad & F = F' e^{f(r_1 < r_2 < r_3)} ;
 \end{aligned}
 \tag{2.2}$$

0 1:

$$F_0 = F - F' \tag{2.3}$$

$$F_1 = F_0 / e^{fa_1} - F';$$

1

$F_1=0$,

(2.2)

$$F_0 = F' e^{fa_1}$$

$$F = F_0 + F' = F' (e^{fa_1} + 1);$$

1 2:

$$F_1 = F / e^{fa_1} - F' \tag{2.4}$$

$$F_2 = F_1 / e^{fa_2} - F';$$

2

$F_2=0$,

(2.3)

$$F_1 = F' e^{fa_2}$$

$$F = (F_1 + F') e^{fa_1} = F' [e^{f(r_1 < r_2)} + e^{fa_1}] ,$$

: F –

; $F_0 \dots F_2$ –

0, 1 2 .

,

.

2.2.

(. 2.3)

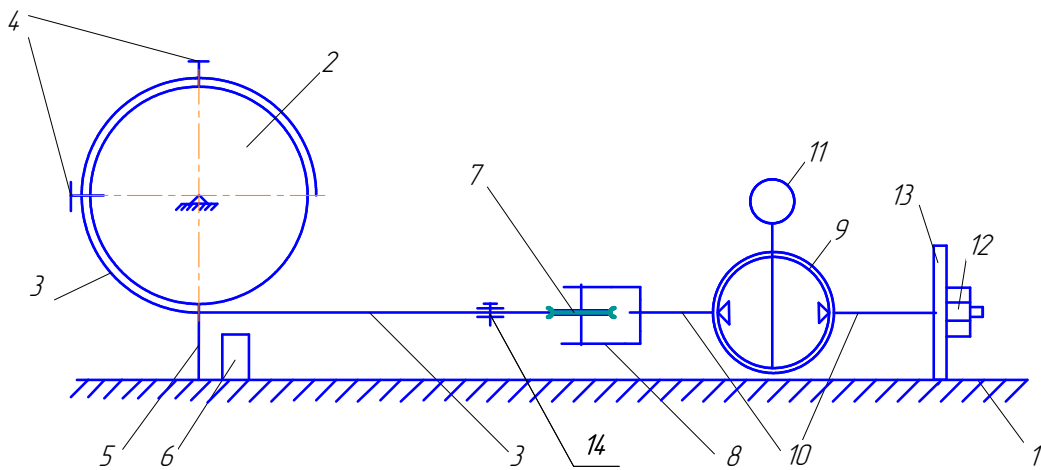
1,

2. 3

4. 5 6

()

7 8 14.



2.3 –

-

(. 2.3) ’

8

13

9,

10

11.

12.

4

,

.

(. 2.4,)

1,

– 2

3.

4

5.

6

7.

4...7

(. 2.4,)

8,

4

9

10

11.

:

,

,

.

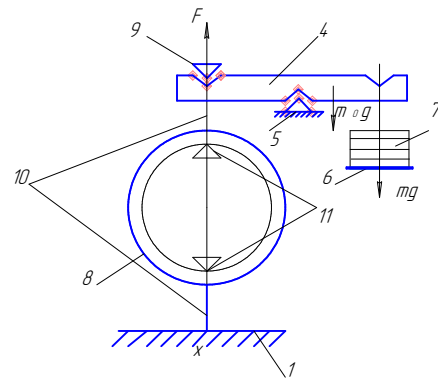
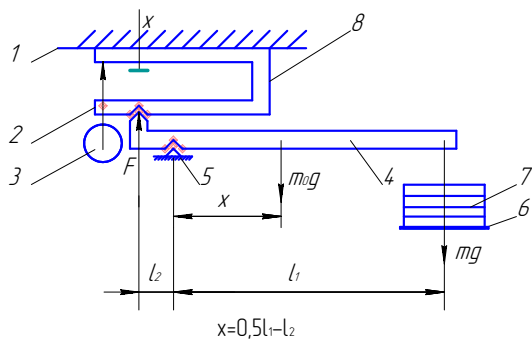
:

. 2.3

-

,

.



2.4 –

2.3.

1.

-

:

-

(. 2.4,);

- “

”

;

- 6 () 7 (m_i),
. 2.1;

- ;

- m_i l_1 l_2

$$F \quad F=f(k)$$

.

2. :

- (.2.4.);

- “ ” ;

- 6 () 7 (m_i),
. 2.2;

- ;

- m_i

$$l_1 \quad l_2 \quad F_1 \quad F_1=f(k_1)$$

.

3. 0 (.2.2) 4
() .

, 14 50 .

4. ,

$$F_n ()$$

$$F=f(k)$$

5. , 5 6.

6. - (9...12
. 2.3). “ ”.

7. 12 ,
() .

2.3.

8. 12 ,
 “ ” .7 8.
 9. 4 () ,
 . 4...8.
 10. ()
 . 4...8.
 11. .
- 2.4.**

1. ()
 0) $F = F_n 2f$ f .
 (2.2) 1, 2, 3.
 : $F = f()$.

2. F_k .
 . 2.2.
 3. F_k . 2.2.
 4. .

2.5.

2.1. -

	m_i						
k							
F, H							

2.2.

	$m_i,$						
k							
F, H							

2.3.

		,					
		1	2	3	k^*	F	F_k
	0						
	=						
	'=						
	"=						

* k-

2.6.

1.

2.

3.

4.

5.

6.

$$F = f().$$

1.

?

2.

(

;

)?

3.

?

4.

?

5.

6.

?